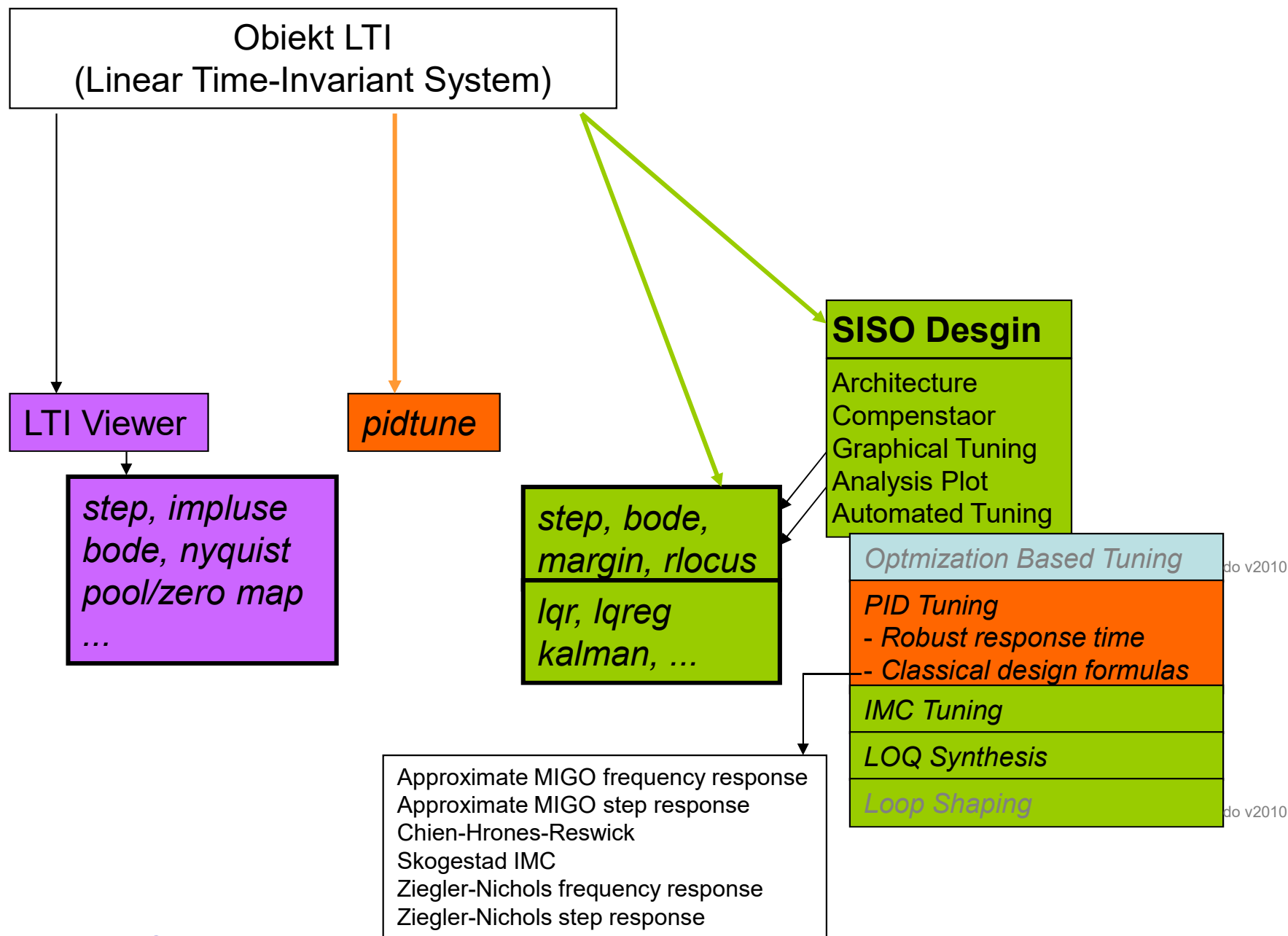
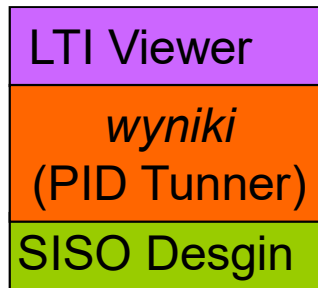


# Narzędzia wspomagające projektowanie UR – SISO Design

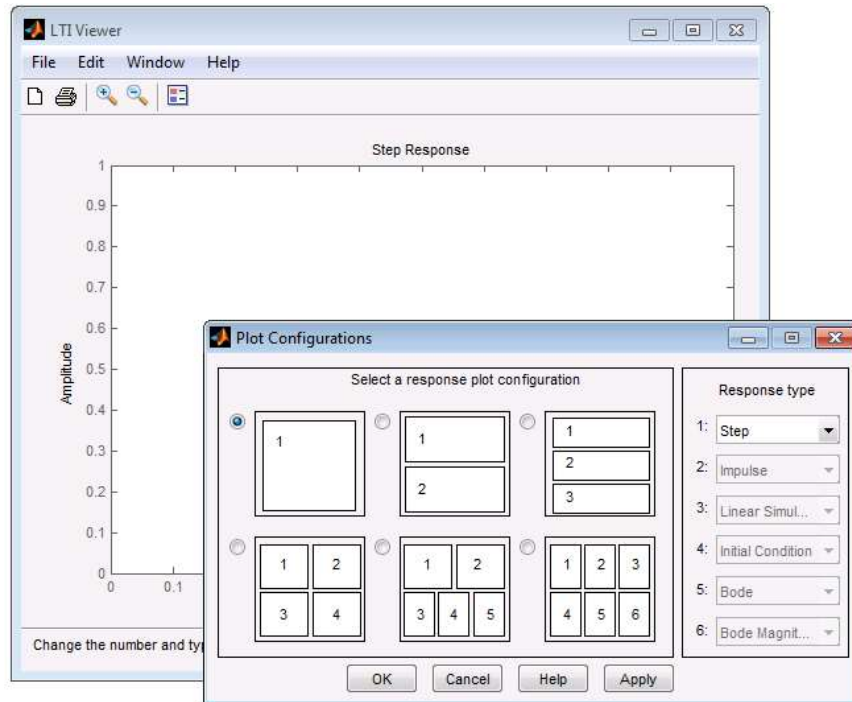


## Matlab + Control

- modele (transfer function, state-space, pole-zero-gain, frequency-response)
- konwersje
- połączenia (series, parallel, feedback, ...)
- funkcje (step response, Bode, Nyquist, ..)
- metody projektowania (Root locus, Bode diagram, LQR, LQG, ...)
- narzędzia interaktywne
  - ltiview
  - pidtool
  - sisotool, sisoinit



help control



Wywołanie z linii komend: `ltiview(obiekt LTI)`  
 Analiza obiektów LTI (linowych, stacjonarnych)

```
regul = pidtune(obiekt, typ_reg)
```

```
[regul info] = pidtune(obiekt, typ_reg)
```

```
obiekt= model tf, ss, zpk, np.: obiekt=tf(1, [1 1])
```

```
typ_reg = ('p', 'i', 'pi', 'pd', 'pdf', 'pid', 'pidf')
```

```
regul=      Kp + Ki * 1/s
```

```
with Kp=0.473, Ki=1.6
```

```
Continues-time PI controller in parrallel form
```

```
info=      Stable: 1
```

```
CrossoverFrequency: 1.1237
```

```
PhaseMargin: 60.0000
```

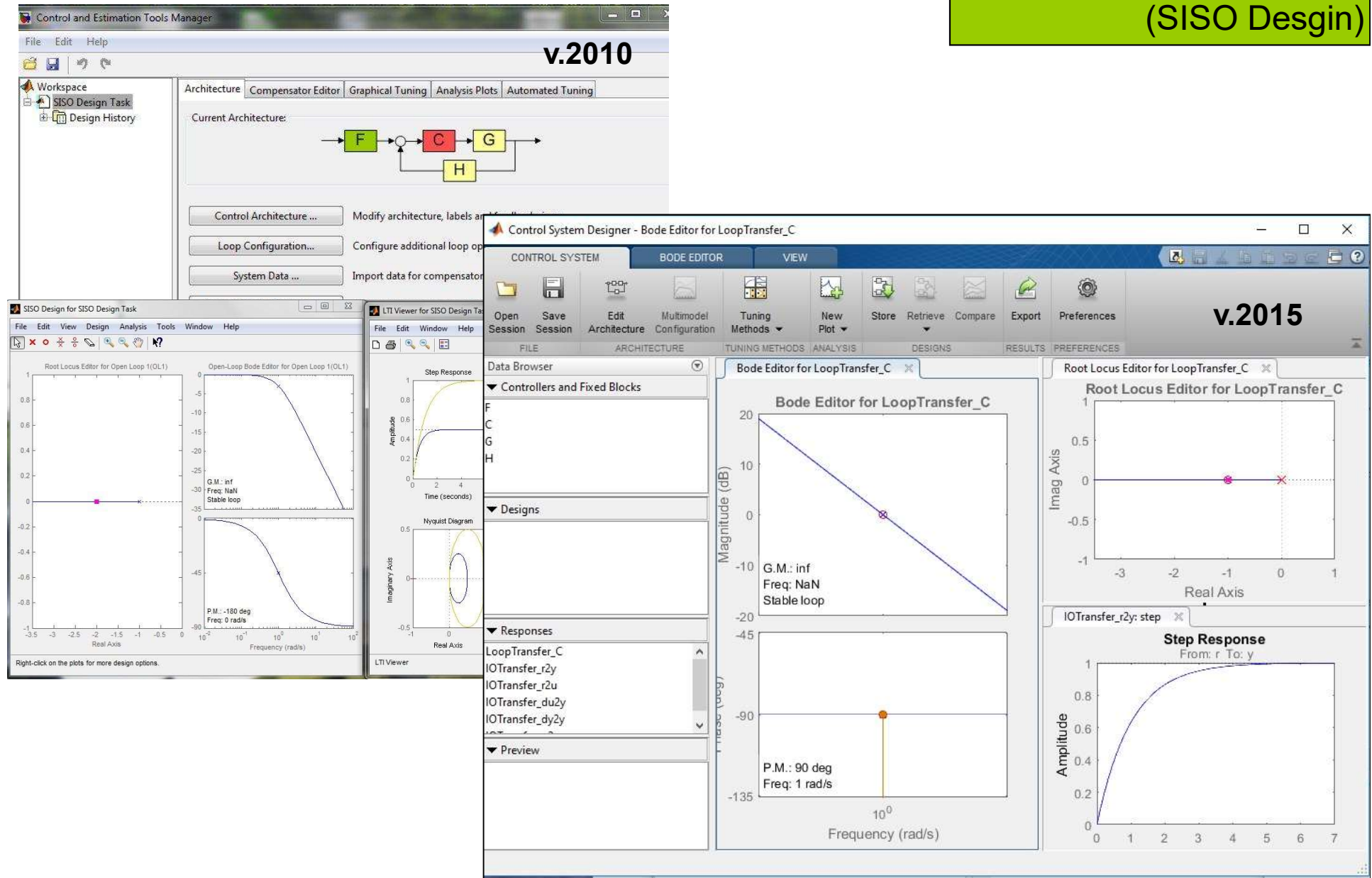
```
[regul info] = pidtune(obiekt, typ_reg, opcje)
```

```
opcje = pidtuneOptions('CrossoverFrequency',1.2,'PhaseMargin',45);
```

```
[C info] = pidtune(obiekt,typ_reg, opcje)
```

**Wywołanie z linii komend: pidtune(obiekt LTI, typ\_reg [,opcje])**

**Wspomaganie doboru nastaw PID**



Wywołanie z linii komend: `sisotool`(obiekt LTI)

Projektowanie wybranego układu regulacji dla obiektu LTI (układ SISO)

## Przykład 1: obiekt = $1/(s+1)$ , regulator = $K_p + K_i/s$

funkcja pidtune

```

1 - close all, clear all
2 - s=tf('s');
3 - K1=1; T1=1;
4 - G1=K1/(T1*s+1);
5
6 - [C,info]=pidtune(G1,'pi')
7 - R=C; %1.sposob
8 - %Kp=C.Kp; Ki=C.Ki; R=Kp+Ki/s; %2.sposob
9 - Gz1=feedback(G1*R,1);
10 - step(Gz1);
11 - stepinfo(Gz1), %allmargin(G1*R) | info

```

Continuous-time PI controller in parallel form:

$$K_p + K_i \cdot \frac{1}{s}$$

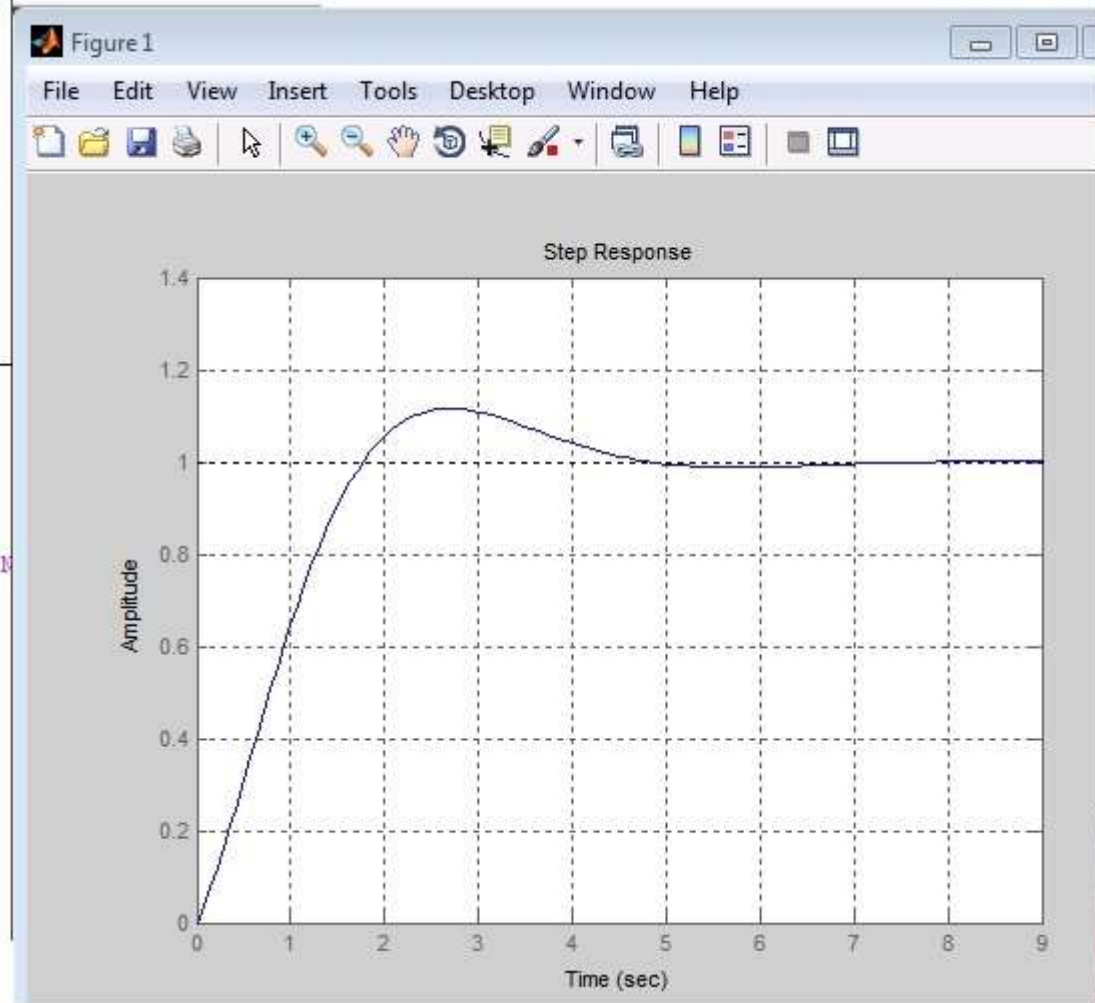
with  $K_p = 0.47319$ ,  $K_i = 1.6046$

info =

Stable: 1  
CrossoverFrequency: 1.1237  
PhaseMargin: 60.0000

ans =

RiseTime: 1.3003  
SettlingTime: 4.3377  
SettlingMin: 0.9053  
SettlingMax: 1.1158  
Overshoot: 11.5817  
Undershoot: 0  
Peak: 1.1158  
PeakTime: 2.7063



## Przykład 1: obiekt = $1/(s+1)$ , regulator = $K_p + K_i/s$

funkcja pidtune

```

1 - close all, clear all
2 - s=tf('s');
3 - K1=1; T1=1;
4 - G1=K1/(T1*s+1);
5
6 - [C,info]=pidtune(G1,'pi')
7 - R=C; %1.sposob
8 - %Kp=C.Kp; Ki=C.Ki; R=Kp+Ki/s; %2.sposob
9 - Gz1=feedback(G1*R,1);
10 - step(Gz1);
11 - stepinfo(Gz1), %allmargin(G1*R) | info

```

Continuous-time PI controller in parallel form:

$K_p + K_i \cdot \frac{1}{s}$

with  $K_p = 0.47319$ ,  $K_i = 1.6046$

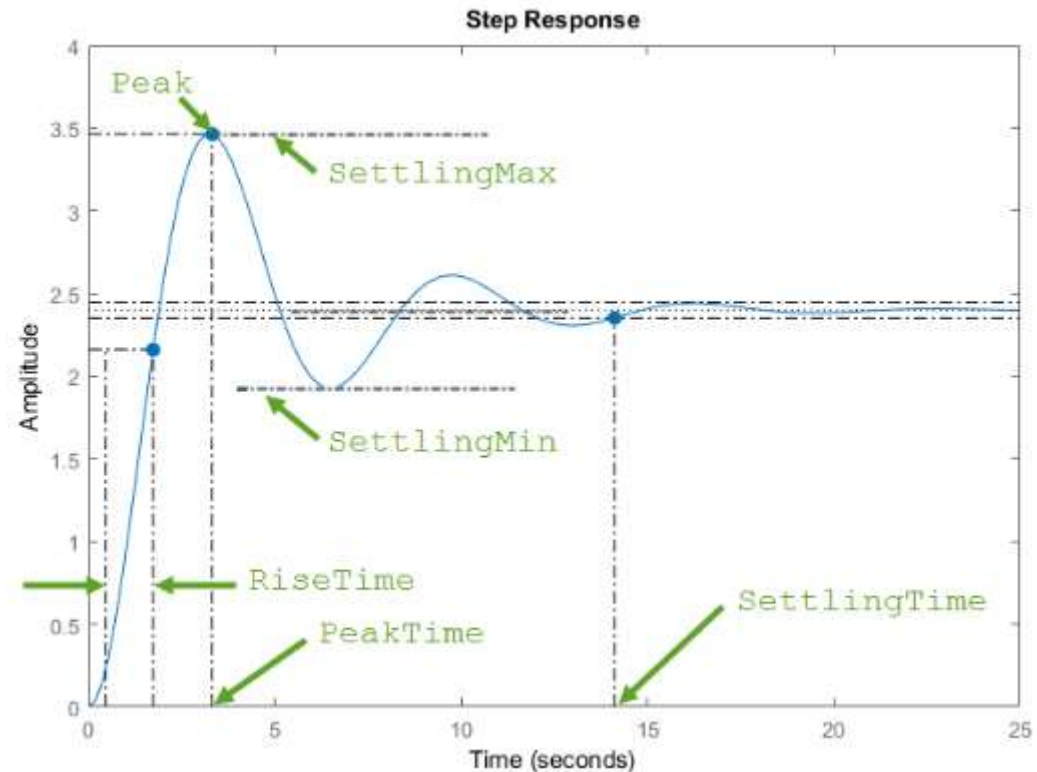
info =

Stable: 1  
CrossoverFrequency: 1.1237  
PhaseMargin: 60.0000

ans =

RiseTime: 1.3003  
SettlingTime: 4.3377  
SettlingMin: 0.9053  
SettlingMax: 1.1158  
Overshoot: 11.5817  
Undershoot: 0  
Peak: 1.1158  
PeakTime: 2.7063

Definicje parametrów



$$\text{Overshoot} = \frac{(\text{SettlingMax} - x_k)}{(x_k - x_p)} * 100\%$$



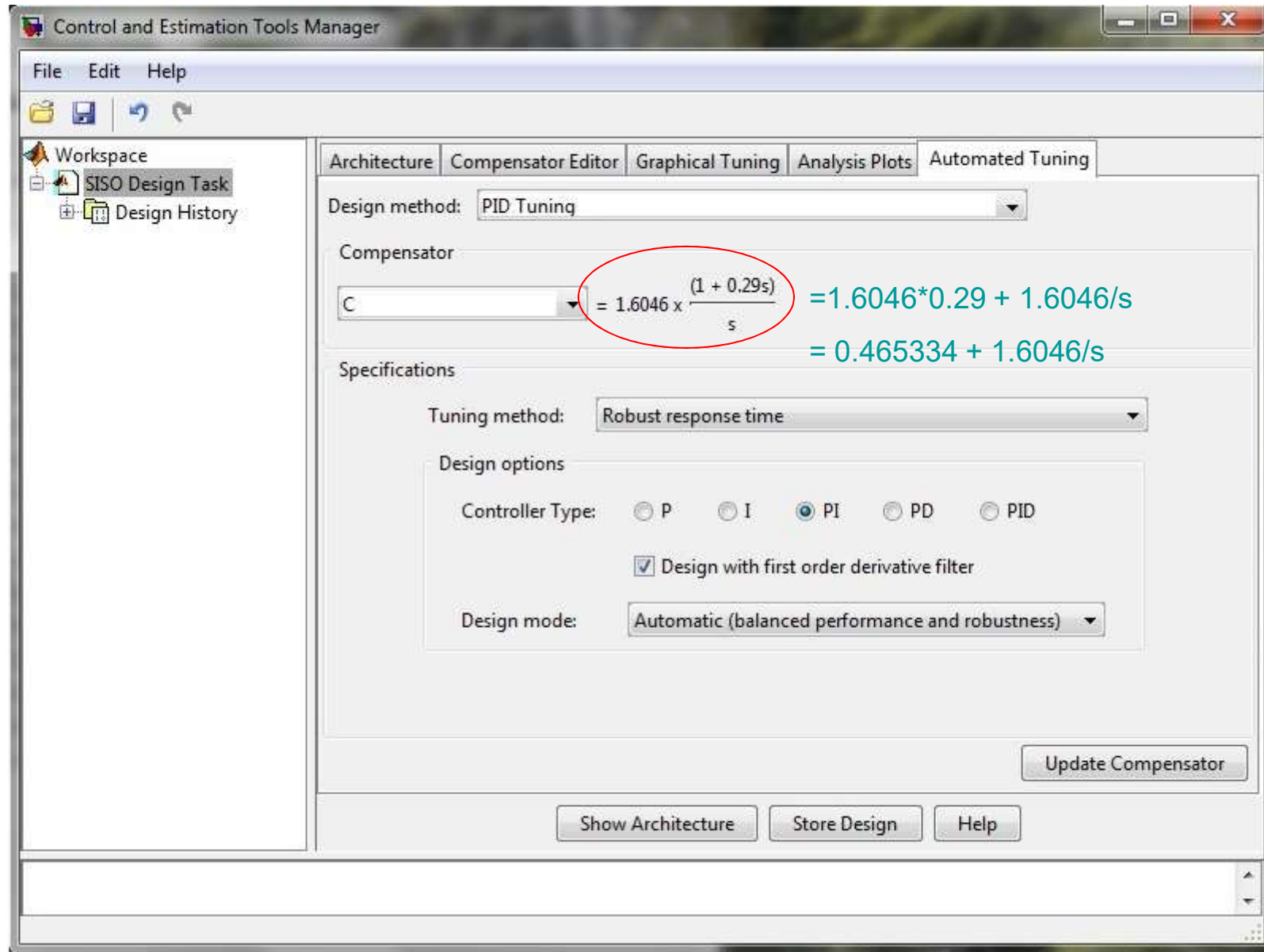
## Przykład 1: obiekt = $1/(s+1)$ , regulator = $K_p + K_i/s$

sisotool

```
s=tf('s');  
G=1/(1*s+1);
```

```
Kp=1; Ki=1;  
R=Kp+Ki/s;
```

```
%Gz=feedback(G*R,1);  
sisotool(G,R)  
|
```





## Przykład 2: obiekt = $1/(10s+1)*\exp(-s)$ , regulator = $K_p + K_i/s$

funkcja pidtune

```
PI_rz10to_bt.m
1 - s=tf('s');
2 - G=1/(10*s+1)*exp(-s);
3 - Kp=1; Ki=1;
4 - R=Kp+Ki/s;
5 - [C info]= pidtune(G,'pi')
6 - R=C;
7 - Gz=feedback(G*R,1);
8 - step(Gz)
9 - stepinfo(Gz)
```

Command Window

C =

$$K_p + K_i * \frac{1}{s}$$

with  $K_p = 0.552$ ,  $K_i = 0.141$

Continuous-time PI controller in parallel form.

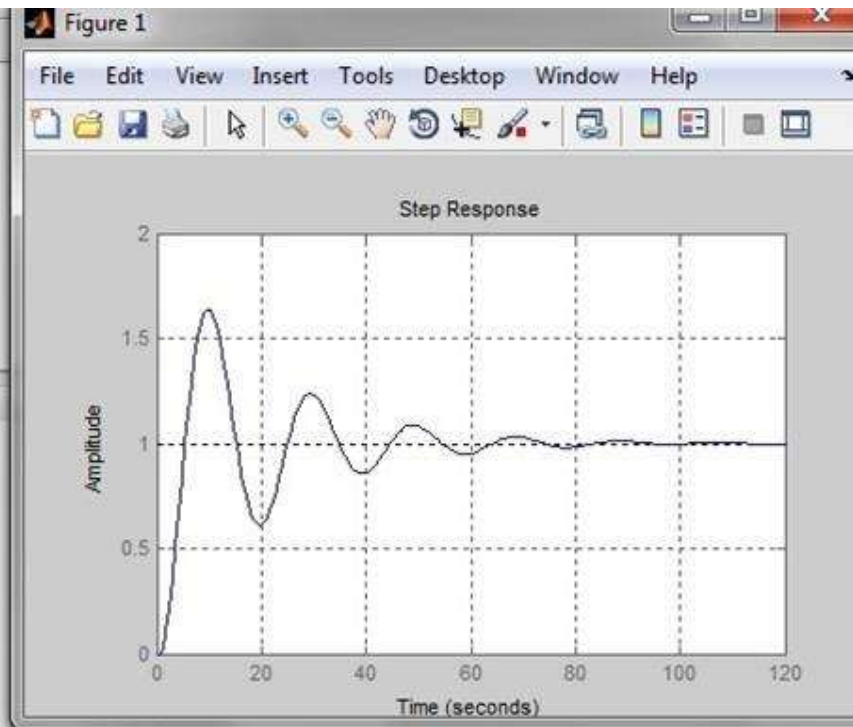
info =

Stable: 1  
CrossoverFrequency: 0.1049  
PhaseMargin: 60.0000

ans =

RiseTime: 3.2878  
SettlingTime: 71.4931  
SettlingMin: 0.6121  
SettlingMax: 1.6382  
Overshoot: 63.8171  
Undershoot: 0  
Peak: 1.6382  
PeakTime: 9.5895

fx >>



```
s=tf('s');
G=1/(10*s+1)*exp(-s);
Gp=1/(10*s+1)*pade(exp(-s),1);
Kp=1; Ki=1;
R=Kp+Ki/s;
```

%Matlab > R2010b

```
[C info]= pidtune(G,'pi') R=C;
Gz=feedback(G*R,1);
step(Gz)
stepinfo(Gz)
```

%zawsze

```
[C info]= pidtune(Gp,'pi') R=C;
Gz=feedback(Gp*R,1);
step(Gz)
stepinfo(Gz)
```

$$K_p + K_i * \frac{1}{s}$$

with  $K_p = 0.61518$ ,  $K_i = 0.15101$

info =

Stable: 1  
CrossoverFrequency: 0.1110  
PhaseMargin: 60.0000

ans =

RiseTime: 3.3021  
SettlingTime: 71.3813  
SettlingMin: 0.6148  
SettlingMax: 1.6368  
Overshoot: 63.6762  
Undershoot: 1.8514  
Peak: 1.6368  
PeakTime: 9.7800

## Przykład 2: obiekt = $1/(10s+1)*\exp(-s)$ , regulator = $K_p + K_i/s$

sisotool

```
s=tf('s');  
G=1/(10*s+1)*exp(-s);  
Gp=1/(10*s+1)*pade(exp(-s),1);  
Kp=1; Ki=1;  
R=Kp+Ki/s;
```

%aproxymacja automatyczna  
sisotool(G,R)

%aproxymacja ręczna  
sisotool(Gp,R)

Model time delays are approximated in the root locus plot. View or modify approximation settings [here](#).

